# Temperature Effects on Electron Transfer within Intervalence Bis(Hydrazine) Radical Cations 

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Received November 23, 1998. Revised Manuscript Received May 24, 1999


#### Abstract

Analyses of the shape of intervalence charge-transfer bands at various temperatures (~255-325 K in most cases) in acetonitrile are reported for the radical cations of bis(2-tert-butyl-2,3-diazabicyclo[2.2.2]-oct-3-yl) hydrazines that are bridged by 2,5-xylene-1,4-diyl ( $\mathbf{2}^{+}$), durene-1,4-diyl ( $\mathbf{3}^{+}$), naphthalene-1,4-diyl $\left(\mathbf{4}^{+}\right)$, biphenyl-4,4'-diyl $\left(\mathbf{5}^{+}\right)$, and 9,9-dimethylfluorene-2,7-diyl $\left(\mathbf{6}^{+}\right)$aromatic rings. Electron-transfer (ET) rate constants measured by ESR as a function of temperature are reported for $\mathbf{4}^{+}-\mathbf{6}^{+}$. Despite the fact that the ET barriers for these compounds are dominated by vibrational reorganization, explicit inclusion of vibronic coupling effects is not necessary for the prediction of their ET rate constants from the optical spectra. Rate constants in excellent agreement with the measured ones are predicted by a classical analysis of chargetransfer band shape, if the diabatic surfaces are changed from the usual assumption that they are parabolas to ones that fit the shape of the charge-transfer bands.


## Introduction

Charge-localized symmetrical intervalence (IV) compounds provide the simplest electron-transfer (ET) systems to consider. ${ }^{1}$ They have two identical charge-bearing units (CBU) attached to a Bridge, and are at an oxidation level that places different charges on the CBU. The ones considered here have easily oxidized (Donor) CBU, and may be symbolized as D-B-D ${ }^{+}$. When the electronic coupling between the CBU through the bridge connecting them (measured by Hush's matrix coupling element $V$ ) is large enough, IV compounds show a chargetransfer (CT) optical band from which the rate constant for thermal intramolecular ET ( $k_{\mathrm{ET}}$ ) may be estimated using Marcus-Hush theory., ${ }^{2,3}$ The system is always at equilibrium because the driving force for ET is zero in symmetrical IVCT compounds, and with most charge-bearing units, the ET rate constant is too large to measure when $V$ is large enough that the optical band is easy to study. We have prepared examples with high internal reorganization energy hydrazine CBU that slow ET enough to allow $k_{\mathrm{ET}}$ to be measured by dynamic electron spin resonance (ESR). The first aromaticbridged bis(hydrazine) IV compound we made, $\mathbf{1}^{+}$(bridge abbreviation, PH, for phenylene-1,4-diyl), had $k_{\mathrm{ET}}$ values too


1: $R=R^{\prime}=H$
2: $\mathrm{R}=\mathrm{CH}_{3}, \mathrm{R}^{\prime}=\mathrm{H}$
3: $\mathrm{R}=\mathrm{R}^{\prime}=\mathrm{CH}_{3}$
large to measure accurately. ${ }^{4}$ Introducing methyl groups on the

[^0]bridge in $\mathbf{2}^{+}$(XYlene-1,4-diyl) and $\mathbf{3}^{+}$(DUrene-1,4-diyl) increases the twist angle $(\phi)$ between the nitrogen lone pair and the bridge $\pi$ system, lowering $V$ enough that $k_{\mathrm{ET}}$ can be determined. ${ }^{5}$ Another way of increasing $\phi$ is by introducing a benzo group on the bridging ring, and we report here studies on the 1,4-naphthalene-bridged compound $\mathbf{4}^{+}$. Adding a second

benzo group to give the 9,10 -anthracene-bridged compound further increases $\phi$ but significantly changes the character of its intramolecular ET. As discussed elsewhere, ${ }^{6}$ there is a large increase in $k_{\mathrm{ET}}$, the IV-CT band is obscured by a bridge oxidation band, and this IV compound cannot reasonably be treated as a simple two-state Marcus-Hush system such as the compounds discussed here.

In this work we also increase the bridge length from the 5- $\sigma$ bonds bridging the hydrazine units of $\mathbf{1}^{+}-\mathbf{4}^{+}$to the nine of the biphenyl ( $\mathbf{5}^{+}, \mathbf{P H}_{\mathbf{2}}$ ) and 9,9-dimethylfluorenyl-bridged compound $\left(\mathbf{6}^{+}, \mathbf{M}_{\mathbf{2}} \mathbf{F L}\right)$. Increasing the distance decreases $V$ enough ${ }^{7}$

to allow ESR rate studies without the larger $\phi$ provided by including ortho substituents. ESR rate constants for $\mathbf{2}^{+}-\mathbf{6}^{+}$may only be determined in the relatively narrow temperature range

[^1]where $k_{\mathrm{ET}}$ is within a factor of about three of $10^{8} \mathrm{M}^{-1} \mathrm{~s}^{-1}$, making experimental values ( $k_{\mathrm{ESR}}$ ) only available at different temperatures for different compounds. In this work we report optical studies on $\mathbf{2}^{+}-\mathbf{6}^{+}$in acetonitrile, where ion pairing effects are negligible, ${ }^{8}$ at temperatures that vary over a $\sim 70^{\circ}$ range centered near room temperature. These data allow more direct comparison of the thermal and optical rate constants than the room temperature optical measurements previously available. ${ }^{9}$

## Results

Compounds $4-6$ were prepared by double addition of 2 -tert-butyl-2,3-diazabicyclo[2.2.2]oct-3-enium tetrafluoroborate to the dilithio aromatic, as previously described ${ }^{5}$ for $\mathbf{1 - 3}$ (see experimental). In contrast to successful crystal structure determination for the intervalence oxidation-state salts of $\mathbf{1}^{+}$and $\mathbf{3}^{+},{ }^{5}$ we were unable to obtain one of $\mathbf{5}^{+}$, which disproportionated upon all attempts at isolation, probably because $V$ for $\mathbf{5}^{+}$is significantly smaller, making it less stable relative to $\mathbf{5}$ and $\mathbf{5}^{\mathbf{2 +}}$. The structure we obtained for $\mathbf{5}^{0}$ is not very good, both because of disorder problems (the crystal contained $83 \%$ of a syn isomer lying on a crystallographic center of inversion and $17 \%$ of another with the opposite lone pair, aryl twist angle, so only data for the major isomer have much precision) and because the rotational angle between the $p$-phenylene groups $(\psi)$ obtained for both isomers was $0^{\circ}$. Although it is common for crystal structures of biphenyl derivatives to give $\psi=0$ values, it has been pointed out that this can occur because $\psi$ is incommensurate with the unit cell used or because of the very flat energy surface for twisting about the central bond ${ }^{10}$ and does not really mean that $\psi=0$ in the crystal. The crystal obtained for $\mathbf{5}^{\mathbf{2 +}}\left(\mathrm{SbF}_{6}{ }^{-}\right)_{2}$ contained one molecule of acetonitrile in the unit cell. It has $\psi$ $=35.4(8)^{\circ}$, and the $\mathbf{5}^{\mathbf{2 +}}$ unit does not lie on a crystallographic center of symmetry, so the two hydrazine units are crystallographically independent. The distance between the arylated nitrogens of $\mathbf{5}^{\mathbf{0}}$ and $\mathbf{5}^{\mathbf{2 +}}$ was 10.05 and $9.90 \AA$, respectively, to be compared to the $5.66-5.71 \AA$ distances obtained for various oxidation states of $\mathbf{1}-\mathbf{3} .{ }^{5}$ The ET distances $d$ used in extracting $V$ below were estimated from the dipolar splittings of the triplet states of $\mathbf{2}^{\mathbf{2 +}}, \mathbf{3}^{\mathbf{2 +}}$, and $\mathbf{5}^{\mathbf{2 +}}$ as previously described. ${ }^{5}$ Changes in the twist angle $\phi$ affect the ET parameters, and we tried to study them using model compounds. The $\phi$ obtained for the major isomer of $\mathbf{5}^{\mathbf{0}}$ was $42.9(4)^{\circ}$, somewhat larger than the ( - )$37.5^{\circ}$ obtained for $\mathbf{1}^{\mathbf{0}} .{ }^{5}$ The $\phi$ values for $\mathbf{5}^{\mathbf{2 +}},(-) 44.1(8)^{\circ}$ and $(-) 43.9^{\circ}$, are significantly smaller than for either the phenyl monohydrazine radical cation analogue $7^{+} \mathrm{NO}_{3}{ }^{-}\left((-) 59.2^{\circ}\right)$ or the cationic end of $\mathbf{1}^{+} \mathrm{BF}_{4}^{-}\left((+) 47.6(3)^{\circ}\right) .{ }^{5}$ We also obtained the crystal structure of $\mathbf{8}^{+} \mathrm{SbF}_{6}{ }^{-}$, which gave $\phi=+53.3(6)^{\circ}$,

so the $\phi$ obtained for $\mathbf{5}^{\mathbf{2 +}}$ appears anomalously small and may well represent an effect of crystal-packing forces. The crystal structure of $\mathbf{9}^{+} \mathrm{SbF}_{6}{ }^{-}$was determined as a model for twist in $\mathbf{4}^{+}$and gave $\phi=(+) 64.7(9)^{\circ}$, larger than the $(+) 57.4(2)^{\circ}$ obtained for $\mathbf{2}^{\mathbf{2 +}}\left(\mathrm{BF}_{4}^{-}\right)_{2}$, but comparable to that for $\mathbf{3}^{2+}\left(\mathrm{BPh}_{4}^{-}\right)_{2}$, $(-) 63.6(4)^{\circ}$, and the cationic end of $3^{+}\left(\mathrm{BPh}_{4}^{-}\right),(-) 66.2(3)^{\circ} .{ }^{5}$

[^2]Table 1. IV-CT Band Data for Aromatic-Bridged Bis(hydrazine) Cations in Acetonitrile

| cmpd | bridge | $\begin{gathered} \mathrm{T} \\ (\mathrm{~K}) \end{gathered}$ | $\underset{\left(\mathrm{cm}^{-1}\right)}{E_{\mathrm{op}}}$ | $\epsilon_{\text {max }}{ }^{a}$ | $\begin{gathered} \Delta v_{112} \\ \left(\mathrm{~cm}^{-1}\right)^{b} \end{gathered}$ | C | $\lambda^{c}$ | $V_{\mathrm{H}}{ }^{c, d}$ | $\Delta G^{*}{ }^{\text {c }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{1}^{+5}$ | PH | $\sim 295$ |  |  |  | 0.115 | 37.8 | 7.18 | 2.98 |
| $\mathbf{2}^{+}$ | XY | 255 | 14480 | 2226 | 5810 | 0.06 | 41.5 | 4.85 | 5.68 |
|  |  | 270 | 14430 | 2177 | 5930 | 0.055 | 41.45 | 4.84 | 5.68 |
|  |  | 284 | 14380 | 2133 | 6070 | 0.055 | 41.3 | 4.84 | 5.65 |
|  |  | 298 | 14330 | 2100 | 6210 | 0.055 | 41.15 | 4.85 | 5.61 |
|  |  | 312 | 14270 | 2074 | 6330 | 0.055 | 41.0 | 4.86 | 5.57 |
|  |  | 327 | 14230 | 2064 | 6430 | 0.05 | 40.85 | 4.88 | 5.55 |
| $3^{+}$ | DU | 255 | 14260 | 1030 | 6920 | 0.22 | 41.15 | 3.32 | 5.85 |
|  |  | 270 | 14210 | 1010 | 7040 | 0.21 | 40.95 | 3.31 | 5.86 |
|  |  | 284 | 14160 | 990 | 7170 | 0.205 | 40.8 | 3.30 | 5.89 |
|  |  | 298 | 14110 | 970 | 7290 | 0.20 | 40.65 | 3.29 | 5.92 |
|  |  | 312 | 14050 | 955 | 7370 | 0.19 | 40.5 | 3.28 | 5.90 |
|  |  | 326 | 13995 | 942 | 7490 | 0.185 | 40.35 | 3.27 | 5.9 |
| $4^{+}$ | NA | 255 | 12870 | 2250 | 5030 | 0.00 | 36.80 | 4.28 | 5.42 |
|  |  | 270 | 12800 | 2204 | 5160 | 0.00 | 36.60 | 4.28 | 5.37 |
|  |  | 284 | 12750 | 2165 | 5285 | 0.00 | 36.45 | 4.29 | 5.34 |
|  |  | 298 | 12680 | 2127 | 5395 | 0.00 | 36.25 | 4.28 | 5.29 |
|  |  | 312 | 12630 | 2091 | 5510 | 0.00 | 36.10 | 4.28 | 5.25 |
|  |  | 327 | 12570 | 2069 | 5670 | 0.005 | 35.95 | 4.31 | 5.16 |
| $5^{+}$ | $\mathrm{PH}_{2}$ | 256 | 15410 | 2868 | 6000 | 0.06 | 44.2 | 3.79 | 7.12 |
|  |  | 270 | 15340 | 2877 | 5990 | 0.04 | 43.9 | 3.72 | 7.25 |
|  |  | 284 | 15290 | 2686 | 6040 | 0.03 | 43.75 | 3.67 | 7.34 |
|  |  | 298 | 15210 | 2600 | 6090 | 0.015 | 43.5 | 3.60 | 7.45 |
|  |  | 312 | 15170 | 2544 | 6130 | 0.01 | 43.4 | 3.58 | 7.48 |
|  |  | 326 | 15110 | 2505 | 6160 | 0.00 | 43.2 | 3.56 | 7.53 |
| $6^{+}$ | $\mathrm{M}_{2} \mathrm{FL}$ | 255 | 13700 | 3980 | 4950 | -0.03 | 39.1 | 4.08 | 6.35 |
|  |  | 270 | 13630 | 3860 | 5080 | -0.03 | 38.9 | 4.06 | 6.31 |
|  |  | 284 | 13610 | 3770 | 5250 | $-0.025$ | 38.85 | 4.08 | 6.25 |
|  |  | 298 | 13555 | 3700 | 5370 | -0.025 | 38.7 | 4.08 | 6.21 |

${ }^{a}$ Units: $\mathrm{M}^{-1} \mathrm{~cm}^{-1}$. ${ }^{b}$ From band simulation chosen to fit the lowenergy side of the band as well as possible. ${ }^{c}$ Units: $\mathrm{kcal} / \mathrm{mol}$. ${ }^{d}$ ET distances $(d, \AA)$ used in calculating $V_{\mathrm{H}}: \mathbf{1}^{+} 4.6 ;{ }^{5} \mathbf{2}^{+} 5.25 ;{ }^{5} \mathbf{3}^{+} 5.657 ;{ }^{5}$ $\mathbf{4}^{+} 5.25 ; \mathbf{5}^{+} 8.0 ; \mathbf{6}^{+} 7.5$.

Table 2. ESR Rate Constants for $\mathbf{4}^{+}-\mathbf{6}^{+}$in Acetonitrile

| $\mathbf{4}^{+}(\mathbf{N A})$ |  |  | $\mathbf{5}^{+}\left(\mathbf{P H}_{\mathbf{2}}\right)$ |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | $\mathbf{6}^{+}\left(\mathbf{M}_{\mathbf{2}} \mathbf{F L}\right)$ |  |  |  |  |
|  | $k_{\mathrm{ESR}}{ }^{a}$ |  | $T(\mathrm{~K})$ | $k_{\mathrm{ESR}}{ }^{a}$ |  |
| $223^{b}$ | 1.85 | 328.1 | 1.34 | 248.1 | 1.06 |
| 229 | 2.11 | 333.1 | 1.48 | 253.1 | 1.25 |
| 233 | 2.42 | 338.1 | 1.63 | 258.1 | 1.50 |
| 238 | 2.73 | 343.1 | 1.76 | 268.1 | 2.07 |
| 243 | 3.04 | 348.1 | 1.94 | 273.1 | 2.42 |
|  |  | 353.1 | 2.11 |  |  |

${ }^{a}$ Units: $10^{8} \mathrm{~s}^{-1} .{ }^{b}$ Although below the temperature for pure solvent freezing, these solutions had not frozen.

Optical data for the IV-CT bands of $\mathbf{2}^{+}-\mathbf{6}^{+}$collected between $\sim 255$ and 327 K are summarized in Table 1. ESR rate constants for $\mathbf{4}^{+}-\mathbf{6}^{+}$as a function of temperature were determined as previously described for $\mathbf{2}^{+}$and $\mathbf{3}^{+5}$ and are summarized in Table 2. The tetramethylbiphenylene-bridged compound $\mathbf{1 0}^{+}$was also prepared and studied to provide a

compound with a greatly twisted biphenyl bridge and to allow consideration of the effect of the twist angle of the biphenyl ring $(\psi)$ on $k_{\text {ET. }}$. No IV-CT band was observed for $\mathbf{1 0}^{+}$(no significant attempt was made to find a weak band, but $\epsilon$ is clearly $<200 \mathrm{M}^{-1} \mathrm{~cm}^{-1}$ ), nor was any ESR line broadening corresponding to $k_{\mathrm{ESR}}$ approaching $7 \times 10^{7} \mathrm{~s}^{-1}$ observed as the temperature was raised.


Figure 1. Comparison of $\lambda$ values derived from the intervalence charge-transfer band of $\mathbf{3}^{+}$in acetonitrile using classical and vibronic coupling theory.

## Discussion

Optical IV-CT Band Simulation. Classical Marcus-Hush theory uses a two-state treatment with $V$ as the off-diagonal matrix element generating adiabatic energy surfaces from diabatic surfaces that are parabolas placed at zero and one on an ET coordinate $(X)$ that includes both solvent and internal vibrational reorganizational energy. ${ }^{2,3}$ The transition energy at the IV-CT band maximum ( $E_{\mathrm{op}}$ ) is equal to the total vertical reorganization energy $(\lambda)$, and $V$ has traditionally been calculated using Hush's equation 1,

$$
\begin{equation*}
V_{\mathrm{H}}=[0.0206 / d]\left[E_{\mathrm{op}} \Delta v_{1 / 2} \epsilon_{\max }\right]^{1 / 2} \tag{1}
\end{equation*}
$$

where $d$ is the electron-transfer distance, $\Delta v_{1 / 2}$ is the bandwidth at half-height, and $\epsilon_{\max }$ is the extinction coefficient at the band maximum. Fitting the IV-CT band is necessary for reasonably accurate estimation of bandwidth at half-height ( $\Delta \nu_{1 / 2}$ ) to allow accurate estimation of $V_{\mathrm{H}}$, because varying amounts of overlap with other bands on the high-energy side of the IV-CT band make reading $\epsilon$ for the IV-CT off the recorded spectrum on this side unreliable. Classical Marcus-Hush theory produces Hush's "high temperature limit" (HTL) bandwidth, shown in eq 2.

$$
\begin{equation*}
\Delta v^{\mathrm{HTL}}=\left[16 R T \ln (2) E_{\mathrm{op}}\right]^{1 / 2} \tag{2}
\end{equation*}
$$

Equation 2 gives $\Delta v^{\mathrm{HTL}}=5390$ to $5960 \mathrm{~cm}^{-1}$ at 298 K for $E_{\text {op }}$ values in the range studied, but several of the observed bandwidths are significantly broader. Hush assumed that the larger bandwidth often observed arises from tunneling effects when the averaged barrier-crossing frequency $\left(h \nu_{\mathrm{v}}\right)$ is larger than $2 k_{\mathrm{B}} T$, as it certainly is for our compounds.

In more recent papers, a vibronic coupling theory treatment is usually employed. ${ }^{11}$ The Marcus-Hush ET coordinate is replaced by a new one $(Y)$ that includes only low-frequency reorganization (usually described as solvent reorganization), and the internal vibrational reorganization is treated by calculating Franck-Condon factors for vertical transitions between a parabolic $i=0$ vibrational level of the initial state (centered at $Y=0$ ) and each vibrational level $j$ in a nest of parabolas separated by $h \nu_{\mathrm{v}}$ at $Y=1$ for the final state (see Figure 1 from

[^3]

Figure 2. Eyring plots comparing optical (filled circles) and ESR (empty circles) rate constants for $\mathbf{2}^{+}-\mathbf{6}^{+}$in acetonitrile.
ref 12 a for a diagram). The Kodak group was the first to fully apply vibronic coupling theory to absorption bands, ${ }^{13}$ although aspects of such a treatment are included in Hush's early analysis. ${ }^{2 a}$ We have applied the vibronic coupling theory treatment to optical bands of $\sigma$-bridged bis(hydrazine) and bis(diazenium) radical cations, ${ }^{12 a, b}$ as well as $\mathbf{1}^{+}-\mathbf{3}^{+},{ }^{12 \mathrm{c}}$ and pointed out that simulation of the bands does not allow separation of the three ET parameters required for vibronic coupling theory (the averaged energy of the barrier-crossing frequency, $h \mathrm{v}_{\mathrm{v}}$, and the solvent and vibrational reorganization energies, $\lambda_{\mathrm{s}}$ and $\lambda_{\mathrm{v}}$ ) and that $k_{\mathrm{ET}}$ values that are smaller and have larger variation with temperature than those observed are obtained from such a treatment. We suggested that the main problem with using vibronic coupling theory for our compounds is their very large $\lambda_{\mathrm{v}}$ values. ${ }^{5,12}$ The $\lambda_{\mathrm{v}}$ and $h \nu_{\mathrm{v}}$ values estimated for hydrazines used with a single averaged $h v_{\mathrm{v}}{ }^{11,13}$ would require that the vibrational energy surfaces remain harmonic to $j>11$, which seems exceedingly unlikely. The result of using a vibronic coupling theory analysis of the optical spectrum of $3^{+}$as a function of temperature is shown graphically in Figure 1. When a constant $h \nu_{\mathrm{v}}$ of $800 \mathrm{~cm}^{-1}$ (that used in our previous work) ${ }^{5,7}$ is employed over the $72^{\circ}$ temperature range studied, the partitioning of $\lambda$ into $\lambda_{\mathrm{s}}$ and $\lambda_{\mathrm{v}}$ changes substantially with temperature, $\lambda_{\mathrm{v}}$ increasing $30 \%$ as the temperature is raised, which seems physically unreasonable. Possibly an increasing fraction of the low-frequency components of $\lambda_{\mathrm{v}}$ should be transferred to $\lambda_{\mathrm{s}}$ (the $Y$ coordinate) as $k_{\mathrm{B}} \mathrm{T}$ increases and a constant $h v_{\mathrm{v}}$ should not be assumed. However, choosing $h v_{\mathrm{v}}$ would then require complete knowledge of the distribution of $h \nu_{\mathrm{v}}$ values and their contribution to $\lambda_{\mathrm{v}}$, and such detailed information is not available. We cannot tell how to accurately partition $\lambda$ into $\lambda_{\mathrm{s}}$ and $\lambda_{\mathrm{v}}$ at any temperature, and this information is crucial for applying vibronic coupling theory.

The experimental estimate of $V, V_{\mathrm{H}}$, is determined by the transition dipole of the IV-CT band, included in eq 1. The size of $V_{\mathrm{H}}$ obtained is not significantly affected by using eq 1 to evaluate it, despite the differences in observed band shape from that predicted using parabolic diabatic surfaces. Predicting the thermal ET rate constant from optically derived parameters ( $k_{\text {OPT }}$ ) requires obtaining the size of the ET barrier on $E_{1}\left(\Delta G^{*}\right)$. The size of $\Delta G^{*}$ that arises from $E_{\mathrm{op}}$ and $V_{\mathrm{H}}$ depends significantly on the exact shape of the adiabatic surface. To accurately estimate $\Delta \mathrm{G}^{*}$, we therefore returned to the simple analysis of the IV-CT band using the merged $\lambda_{\mathrm{s}}, \lambda_{\mathrm{V}}$ coordinate $X$ of classical Marcus-Hush theory but relaxed the requirement that the diabatic surfaces are exactly parabolas. Because the ET

[^4]Table 3. Comparison of $k_{\text {OPT }}$ Values Calculated by Fit of the IV-CT Band of $\mathbf{3}^{+}$(DU) in Acetonitrile at 298 K Using Various Functions for $\mathrm{H}_{\mathrm{Aa}}$

| fitting term $^{a}$ | relative $k_{\mathrm{OPT}^{b}}{ }^{b}$ | $C_{\mathrm{i}}$ |
| :--- | :---: | :--- |
| $C_{3}\|\mathrm{X}\|^{3}$ | 0.995 | 0.315 |
| $C_{5}\|\mathrm{X}\|^{5}$ | 0.89 | 0.147 |
| $C_{\exp }\left\{\left(\exp X^{2}-1\right) /(\mathrm{e}-1)\right\}$ | 0.86 | 0.49 |
| $C_{6} \mathrm{X}^{6}$ | 0.72 | 0.12 |

${ }^{a}$ The quartic fit uses eq $3, H_{\mathrm{aa}}=\lambda /(1+C)\left[\mathrm{X}^{2}+C X^{4}\right]$. The other fitting functions replace the underlined term by that shown in the first column, and the corresponding $C$ in the normalization term. ${ }^{b} k_{\mathrm{OPT}}$ (using the fitting term shown) $/ k_{\text {OPT }}$ using eq $3=8.57 \times 10^{8} \mathrm{~s}^{-1}, C=-0.20$.
coordinate $X$ is complex for multiatom systems, we suggest that there is no requirement that the changes in energy as the ET proceeds map onto $X$ exactly as parabolas. ${ }^{5,8}$ In the simple twostate model, the relative extinction coefficient $\left(\epsilon_{\text {rel }}\right)$ at a given photon energy $(h v)$ is determined by the Boltzmann factor: $\epsilon_{\text {rel }}$ $=\epsilon(h v) / \epsilon_{\max }=\exp \left(-\Delta E_{1} / R T\right)$. The energy separation between the ground-state energy surface and the excited-state surface is $h v$, and $\Delta E_{1}$ is the increase in energy on $\mathrm{E}_{1}$ relative to the minimum energy: $\Delta E_{1}=\mathrm{E}_{1}(h v)-E_{1, \text { min }}$. When the diabatic surfaces are parabolas, the bandwidth is given by eq 2 . If the IV-CT band is broader than $\Delta v^{\mathrm{HTL}}$ of eq 2 , the diabatic surfaces are not exactly parabolas. A larger bandwidth is obtained when the diabatic surface as a function of $X$ is broader near $X=0$ but steeper near $X=1$ than for parabolas. The IV-CT band shape for all of the compounds we have studied may be successfully simulated using quartic-augmented diabatic energy surfaces, that is, using eq $3 .{ }^{5,8}$

$$
\begin{gather*}
H_{\mathrm{aa}}^{\prime}=\{\lambda /(1+C)\}\left\{X^{2}+C(X)^{4}\right\}  \tag{3a}\\
H_{\mathrm{bb}}^{\prime}=\{\lambda /(1+C)\}\left\{(X-1)^{2}+C(X-1)^{4}\right\} \tag{3b}
\end{gather*}
$$

For a comparison of observed and simulated band shape of $\mathbf{1}^{+}-$ $\mathbf{3}^{+}$, see ref 5 , Figure 3. When $C=0$, the Marcus-Hush parabolic diabatic energy surfaces $\left(H_{\mathrm{aa}}=\lambda(X)^{2}, H_{\mathrm{bb}}=\{\lambda(X-\right.$ $1^{2}$ ) are obtained. A good fit to the observed bands is achieved using eq 3 as using vibronic coupling theory, consistent with the large interaction between $\lambda_{\mathrm{s}}, \lambda_{\mathrm{v}}$, and $h \nu_{\mathrm{v}}$ noted in previous work. ${ }^{5,12}$ If $\lambda$ and $C$ (two parameters) can be adjusted to fit the IV-CT bands, the three parameters of vibronic coupling theory cannot be reliably extracted from these bands.

The thermal ET barrier $\Delta G^{*}$ is the increase in ground-state energy at the $E_{1}$ maximum (required by symmetry to occur at $X=0.5$ for these systems) from that at the minimum ( $E_{1, \mathrm{~min}}$ ). Good fit to the optical band is found using eq 3 for $\epsilon / \epsilon_{\max }=1$ down to 0.2 or less on the low-energy side for all of our compounds. This requires that $\Delta E_{1}$ and the ground-state-excited-state energy gap ( $h v$ ) are simultaneously reproduced between $X \sim 0$ and 0.15 and between $\sim 0.85$ and 1.0. Calculating $\Delta G^{*}$ requires only an interpolation of $\Delta E_{1}$ to $X=$ 0.5 . Numerical solution for the adiabatic surfaces was used to calculate the optical $\Delta G^{*}$ values of Table 1, but these numbers are very close to that given by eq 4 ,

$$
\begin{equation*}
\Delta G^{*}(\text { using eq } 3) \cong(\lambda / 4)(1+C / 4) /(1+C)-V+V^{2} / \lambda \tag{4}
\end{equation*}
$$

which is simply the solution for parabolas, ${ }^{2}$ adjusted for the lower diabatic curve crossing by the $(1+C / 4) /(1+C)$ term. We emphasize here that the functional form of $H_{\mathrm{aa}}$ that is used to fit the IV-CT band is not important for estimating $\Delta G^{*}$, and hence $k_{\text {OPT. }}$. As shown in Table 3 , $k_{\text {OPT }}$ values very close to those obtained using eq 3 are calculated when the IV-CT band is fit using $H_{\mathrm{aa}}$ functions that contain other powers of $X$ or an
exponential term in $X^{2}$, although the $C_{\mathrm{i}}$ coefficients vary depending on the function of $X$ added to obtain fit to the optical spectrum. Fit to the optical spectrum becomes noticeably poorer when an $X^{6}$ term is added, and deviation of $k_{\text {OPT }}$ values obtained are noticeably larger than they are using the other functions. Fit at the other temperatures studied using all of these $H_{\text {aa }}$ fitting functions is similar, and lines in an Eyring plot of $\ln \left(k_{\mathrm{OPT}} / T\right)$ vs $1 / T$ are parallel using these functions. There is therefore no physical meaning in using specifically the $X^{4}$ additional fitting term in $H_{\text {aa }}$ shown in eq $3 ;|X|^{3},|X|,{ }^{5}$ and the exponential $X^{2}$ term predict extremely similar barriers. It is significant that several functions that properly fit the CT band produce very similar $\Delta G^{*}$ values. We conclude that fitting the IV-CT band shape using classical theory as outlined above does allow prediction of the ET barrier. For simplicity, fits using eq 3 were used for all the spectra reported in Table 1.

Dependence of $V$ on $\psi$ for Biphenylene-Bridged Compounds. Electron transfers between the hydrazine units of the biphenylene-bridged bis(hydrazines) $\mathbf{5}^{+}, \mathbf{6}^{+}$, and $\mathbf{1 0}^{+}$make an interesting contrast with those between zinc and $\mathrm{Fe}^{\text {III }}$ (imidazole) ${ }_{2}$ porphyrin rings of the photoexcited arylene-bridged bis(porphyrins) studied by McLendon and co-workers. ${ }^{14}$ They determined ET rate constants using the usual assumption that zinc porphyrin fluorescence quenching rate constants may be equated with $k_{\mathrm{ET}}$ for these systems. The porphyrin rings are nearly perpendicular to the bridge rings ( $\phi \sim 90^{\circ}$ ), causing very low $V$ values, and consequently, strongly nonadiabatic ET reactions, for which $k_{\mathrm{ET}} \propto V^{2}$. Changing from the $\mathbf{P H}$ - to the $\mathbf{P H}_{\mathbf{2}}$-bridged bis(porphyrin) system causes a slightly larger drop in effective $V$ than for $\mathbf{1}^{+} \boldsymbol{\rightarrow} \mathbf{5}^{+}$. The fluorescence quenching rate constant ratio for the bis(porphyrin) excited states is $5.7,{ }^{11 \mathrm{c}}$ implying a $V$ ratio of 2.4 , compared with the $V_{\mathrm{H}}$ ratio obtained from the optical spectra of $\mathbf{1}^{+} \rightarrow \mathbf{5}^{+}$of 2.02 . The dependence of $V$ upon $\psi$ for biphenyl-bridged systems having porphyrin and hydrazine CBU is, however, quite different. ET rate constants between porphyrins were predicted considering only through space interactions to be at a maximum when the porphyrin rings are parallel or perpendicular and to reach a minimum at $45^{\circ}$ twist ${ }^{15}$ and observed to be faster for substituted biphenyl-bridged bis(porphyrins) that have $\psi$ at $0^{\circ}$ and $90^{\circ}$ than for species with intermediate angles, although the range $k_{\text {et }}$ values reported is only a factor of 4.5. ${ }^{14 \mathrm{c}}$ In contrast, both $k_{\mathrm{ESR}}$ and $V_{\mathrm{H}}$ values for biphenyl-bridged bis(hydrazine) IV compounds fall in the order $\mathbf{6}^{+}>\mathbf{5}^{+} \gg \mathbf{1 0}^{+}$, that is following a $\cos \psi$ instead of the $\cos 2 \psi$ relationship observed for the bis-(porphyrins). The bis(hydrazines) have significant CBU-bridge overlap, so that effects transmitted through the $\pi$ system dominate. Another large difference between the systems is that the zinc porphyrin excited state is both a good oxidant and a good reductant, while the hydrazine cation is only a modest oxidant, and the neutral hydrazine a modest reductant.

An unusually large change in $V_{\mathrm{H}}$ with temperature occurs for $\mathbf{5}^{+}$(Table 1). $V_{\mathrm{H}}$ increases with temperature very slightly

[^5]for $\mathbf{2}^{+}$and $\mathbf{4}^{+}(\sim 0.5 \mathrm{cal} / \mathrm{K})$, decreases slightly for the highest $\phi$ compound, $\mathbf{3}^{+}(-0.7 \mathrm{cal} / \mathrm{K})$, and is unchanged for $\mathbf{6}^{+}$. Because $V_{\mathrm{H}}$ will be proportional to $\cos \phi$ at each $\mathrm{N}-\mathrm{Ar}$ bond, the small changes indicate that the average $\phi$ values are not very temperature-sensitive. The temperature coefficient for $\mathbf{5}^{+}$is significantly larger, $-3.3 \mathrm{cal} / \mathrm{K} . \mathbf{5}^{+}$is the only compound for which temperature can influence overlap within the aromatic system, by changing the average $\psi$. The ratio of $V_{\mathrm{H}}$ values for $\mathbf{5}^{+} / \mathbf{6}^{+}$used with a $\cos \psi$ relationship implies that the average $\psi$ for $\mathbf{5}^{+}$increases from $22^{\circ}$ to $28^{\circ}$ between 258 and $298 \mathrm{~K} .{ }^{14 \mathrm{~d}}$

Dependence of $\boldsymbol{k}_{\text {ET }}$ on 1,4-phenylene versus 1,4-naphthylene bridges. Maruyama, Mataga, and co-workers studied the effect of changing from 1,4-phenylene to 1,4-naphthylene bridges for Zn porphyrin, $\mathrm{Fe}^{\mathrm{III}} \mathrm{Cl}$ porphyrin ET in arene-bridged hybrid diporphyrins by fluorescence quenching. ${ }^{16}$ They found very similar rate constants, about $0.8 \times 10^{11}$ and $1.1 \times 10^{11}$ $\mathrm{s}^{-1}$, respectively. Once again, the result for $\phi \sim 90^{\circ}$, photoexcited systems forms a contrast to the result for thermal ET in bis(hydrazines). There is considerably faster ET for $\mathbf{1}^{+}$than $\mathbf{4}^{+}$ (the rate ratio from optical $\Delta G^{*}$ values at room temperature is 49). The smaller $\phi$ values for $\mathbf{1}^{+}$and $\mathbf{4}^{+}$make through-bridge coupling important; $V$ is significantly larger for the smaller $\phi$ compound $\mathbf{1}^{+}$. The result for $\mathbf{1}^{+} / \mathbf{4}^{+}$result resembles that observed by Staley and co-workers for the same change in bridge, using very different, ion-paired CBU. They recently studied the dipotassium salts of 1,4-dicyclooctatetraenyl-benzene (A) and 1,4-dicyclooctatetraenylnaphthalene (B) in THF-d ${ }_{8}$, where they exist as $\left(\mathrm{K}^{+}\right)_{2}\left(\mathrm{COT}^{-2}\right)-$ bridge- $\left(\mathrm{COT}^{0}\right)$ pairs. ${ }^{17}$ The rate constant ratio ( $\mathbf{A} / \mathbf{B}$ ) for two electron and potassium charge transfer that they observed is 166 (at 280 K ).

Temperature Dependence of ET Parameters. Hupp and co-workers have studied temperature effects on $E_{\text {op }}$ of metalcentered IV-CT complexes. The temperature coefficients ( $\mathrm{dE}_{\mathrm{op}} /$ $\mathrm{dT})$ for the $\left[\left(\mathrm{NH}_{3}\right)_{5} \mathrm{Ru}^{\mathrm{III}}-\mathrm{NC}-\mathrm{Fe}^{\mathrm{II}}(\mathrm{CN})_{5}\right]^{-} \rightarrow\left[\left(\mathrm{NH}_{3}\right)_{5} \mathrm{Ru}^{\mathrm{II}}-\mathrm{NC}-\right.$ $\left.\mathrm{Fe}^{\mathrm{III}}(\mathrm{CN})_{5}\right]^{-}$IV -CT band varied between $-13.5 \mathrm{~cm}^{-1} \mathrm{deg}^{-1}$ in water and $-19 \mathrm{~cm}^{-1} \mathrm{deg}^{-1}$ in ethylene glycol. ${ }^{18}$ A study on $\left[(b p y){ }_{2} \mathrm{ClRu}^{\mathrm{II}}(\mathrm{pz}) \mathrm{Ru}^{\mathrm{III}}\left(\mathrm{NH}_{3}\right)_{5}\right]^{3+}$ prepared under three different conditions gave $\mathrm{dE}_{\mathrm{op}} / \mathrm{dT}$ in $\mathrm{CH}_{3} \mathrm{OD}$ of $-12,-10$, and $-8 \mathrm{~cm}^{-1}$ $\mathrm{deg}^{-1}$, and under two different conditions in 42:58 propionitrile/ butyronitrile, -13 and $-7 \mathrm{~cm}^{-1} \mathrm{deg}^{-1} .{ }^{19}$ In both cases these temperature coefficients were within experimental error of the temperature dependence of $\Delta G^{\circ}$, estimated from electrochemical measurements on charge-bearing unit models. Because $E_{\text {op }}=$ $\lambda+\Delta G^{\circ}$ for these unsymmetrical IV-CT compounds, this implies a small temperature coefficient for $\lambda$. It was thought unlikely that $\lambda_{\mathrm{v}}$ would exhibit temperature dependence. ${ }^{18}$ Using Marcus's expression derived from dielectric continuum theory, $\lambda_{\mathrm{s}}$ is proportional to the Pekar factor $(\gamma)$, which depends on the refractive index ( $n$ ) and static dielectric constant $\left(\epsilon_{\mathrm{s}}\right): \gamma=1 / n^{2}$ $-1 / \epsilon_{\mathrm{s}}$. Dong and Hupp estimated the $\mathrm{d} \lambda_{\mathrm{s}} / \mathrm{d} T$ contribution in water for an NC-bridged system at $\leq 0.2 \mathrm{~cm}^{-1} \mathrm{deg}^{-1} .{ }^{18}$ Measured temperature effects on IV-CT bands of symmetrical metal-centered systems that have $\Delta G^{\circ}=0$ by symmetry, are indeed small: $+0.1( \pm 0.6) \mathrm{cm}^{-1} \mathrm{deg}^{-1}$ in water for $\left[(\mathrm{NC})_{5^{-}}\right.$ $\mathrm{Fe}^{\mathrm{II}}$-(4, $4^{\prime}$-bpy) $\left.-\mathrm{Fe}^{\mathrm{II}}(\mathrm{CN})_{5}\right],{ }^{5-18}+1( \pm 1) \mathrm{cm}^{-1} \mathrm{deg}^{-1}$ in water for $\left[\left(\mathrm{NH}_{3}\right)_{5} \mathrm{Ru}^{\mathrm{II}}-\left(4,4^{\prime}-\text { bpy }\right)-\mathrm{Ru}^{\mathrm{II}}\left(\mathrm{NH}_{3}\right)_{5}\right]^{5+},{ }^{18}$ and $-2( \pm 1) \mathrm{cm}^{-1}$ $\mathrm{deg}^{-1}$ in water for $\left[(\mathrm{bpy})_{2} \mathrm{ClRu}^{\mathrm{II}}(\mathrm{pz}) \mathrm{Ru}^{\mathrm{III}} \mathrm{Cl}(\mathrm{bpy})_{2}\right]^{3+} .{ }^{19}$

[^6]The data of Table 1 give negative and rather constant $\mathrm{d} E_{\mathrm{op}} /$ $\mathrm{d} T$ values for symmetrical intervalence bis(hydrazines) in acetonitrile: $\mathbf{2}^{+} \mathrm{d} E_{\mathrm{op}} / \mathrm{d} T=-3.6( \pm 0.1) \mathrm{cm}^{-1} \mathrm{deg}^{-1}, \mathbf{3}^{+}-3.7$ $( \pm 0.1), \mathbf{4}^{+}-4.2( \pm 0.1), \mathbf{5}^{+}-4.3( \pm 0.2)$, and $\mathbf{6}^{+}-3.2( \pm 0.4)$. The expected value for $\mathrm{d} \lambda_{s} / \mathrm{d} T$ for acetonitrile using the data given by Grampp and Jaenicke ${ }^{20}$ is $+1.9 \mathrm{~cm}^{-1} \mathrm{deg}^{-1}$ for $\lambda_{\mathrm{s}}=$ $10 \mathrm{kcal} / \mathrm{mol}$. The experimental data show clearly that the Marcus $\lambda_{\mathrm{s}}$ expression does not predict the right sign for $\mathrm{d} E_{\mathrm{op}} / \mathrm{d} T$ for bis(hydrazine) cations. Matyushov has developed a "molecular" solvent theory incorporating effects of density fluctuations ${ }^{21}$ that does predict the observed sign for $\mathrm{d} \lambda_{\mathrm{s}} / \mathrm{d} T$ for our compounds, but these calculations will not be discussed here.

Hush treated the increase in bandwidth over $\Delta v^{\mathrm{HTL}}$ as a measure of $h \nu_{\mathrm{v}}$, using eq $5:{ }^{2 \mathrm{~b}}$

$$
\begin{gather*}
\Delta v_{1 / 2}=g(\omega, T) \Delta v^{\mathrm{HTL}}  \tag{5a}\\
g(\omega, T)=\left[h v_{\mathrm{v}} / 2 R T \operatorname{coth}\left(h v_{\mathrm{v}} / 2 R T\right)\right]^{1 / 2} \tag{5b}
\end{gather*}
$$

Although $g(\omega, T)$ for $\mathbf{3}^{+}$drops from 1.31 to 1.26 over the temperature range investigated, the $h v_{\mathrm{v}}$ that fits $g(\omega, T)$ rises steadily from $555 \mathrm{~cm}^{-1}$ at 255 K to $642 \mathrm{~cm}^{-1}$ at 327 K . These $h \nu_{v}$ values seem unreasonably small. ${ }^{5}$ The quartic fit coefficient $C$ describes the increase in bandwidth in the fitting procedure used; $C=0$ when the observed bandwidth is $\Delta v^{\mathrm{HTL}} . C$ is small and negative at room temperature in acetonitrile for $\mathbf{6}^{+}\left(\mathbf{M}_{2} \mathbf{F L}\right)$, which has slightly smaller bandwidth than $\Delta v^{\mathrm{HTL}}$ despite the fact that it is clearly a localized IV compound. $C$ is negligible for $\mathbf{4}^{+}(\mathbf{N A})$ and $\mathbf{5}^{+}\left(\mathbf{P H}_{\mathbf{2}}\right)$ and significantly positive for the $p$-phenylene- (5- $\sigma$ bond) bridged compounds, although the order is $\mathbf{3}^{+}>\mathbf{1}^{+}>\mathbf{2}^{+}$, so $C$ is affected by introduction of methyls but does not correlate with CBU-aryl twisting. $C$ gets slightly closer to 0 as the temperature is increased for these compounds. It also increases upon going from acetonitrile to less polar solvents, ${ }^{5,8,12}$ so the environment is important in addition to the compound's structure. Although it is not clear how to quantify the complex factors that affect $C$, we think our results demonstrate that the amount of increase in bandwidth over $\Delta \nu^{\mathrm{HTL}}$ is not a reliable measure of $h \nu_{\mathrm{v}}$ for these compounds.
Despite $E_{\mathrm{op}}, \Delta \nu_{1 / 2}$, and $\epsilon_{\max }$ all changing with temperature, $V_{\mathrm{H}}$ evaluated using eq 1 and the quartic fit data for $\lambda$ and $\Delta \nu_{1 / 2}$ are nearly constant. Although the expression for $V$ using vibronic coupling theory looks very different from eq 1 because it contains a Franck-Condon factor instead of $\Delta v_{1 / 2},{ }^{13}$ it is numerically very close to $V_{\mathrm{H}}$ except for the introduction of dependence on the refractive index of the solvent $(n) .{ }^{12 a}$ The $n$ factor is designed to correct for an increase in $\epsilon$ in the solvent cavity containing the compound studied. ${ }^{13,22}$ Written for the classical theory used here, the corrections used result in $V=$ $V_{\mathrm{H}} / n^{1 / 2}\left(0.86 V_{\mathrm{H}}\right.$ for acetonitrile at room temperature), ${ }^{13}$ or in a later paper $\left.V=V_{\mathrm{H}}\left[9 n^{2} /\left(n\left\{n^{2}+2\right)^{2}\right\}\right)\right]^{1 / 2}\left(0.91 V_{\mathrm{H}}\right.$ for acetonitrile at room temperature) with a caution that the correction might be more complicated than this. ${ }^{22}$

Optical and Thermal ET Barriers. The thermal ET barriers estimated from the optically derived parameters calculated as described above ${ }^{5,8}$ were in used eq 6 to calculate $k_{\text {OPT }}$, the predicted value of the thermal ET rate constant derived from

[^7]Table 4. Comparison of Optical and Thermal ET Barriers in Acetonitrile

| cmpd | bridge | optical $^{a}$ |  |  | ESR |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\Delta G^{\ddagger}\left(25^{\circ} \mathrm{C}\right)$ | $\begin{gathered} \Delta H^{\ddagger} \\ \left(\mathrm{kcal} \mathrm{~mol}^{-1}\right) \end{gathered}$ | $\begin{gathered} \Delta S^{\ddagger} \\ (\mathrm{cal} \mathrm{~mol} \\ \left.\mathrm{m}^{-1} \mathrm{~K}^{-1}\right) \end{gathered}$ |  |  |
|  |  | (kcal mol ${ }^{-1}$ ) |  |  | $\Delta H^{\ddagger}$ | $\Delta S^{\ddagger}$ |
| $2^{+}$ | XY | 5.47 | $6.3 \pm 0.2$ | $+2.8 \pm 0.6$ | $2.7 \pm 0.4$ | $-9.5 \pm 0.2$ |
| $3^{+}$ | DU | 5.24 | $5.1 \pm 0.2$ | $-0.5 \pm 0.7$ | $4.8 \pm 0.2$ | $-1.8 \pm 1.0$ |
| $4^{+}$ | NA | 4.66 | $5.7 \pm 0.2$ | $+3.6 \pm 0.5$ | $2.7 \pm 0.7$ | $-8.0 \pm 3.9$ |
| $5{ }^{+}$ | $\mathrm{PH}_{2}$ | 6.77 | $5.0 \pm 0.4$ | $-5.8 \pm 1.4$ | $3.5 \pm 0.1$ | $-10.9 \pm 0.4$ |
| $6^{+}$ | $\mathrm{M}_{2} \mathrm{FL}$ | 5.60 | $6.7 \pm 0.2$ | $+3.6 \pm 0.8$ | $3.9 \pm 0.1$ | $-5.5 \pm 0.4$ |

${ }^{a}$ Calculated using eq 5 , with $\lambda_{\mathrm{v}}=25 \mathrm{kcal} / \mathrm{mol}$ for $\mathbf{2}^{+}, \mathbf{3}^{+}$, and $\mathbf{5}^{+}$, and 20 for $\mathbf{4}^{+}$and $\mathbf{6}^{+}$; the results are quite insensitive to the $\lambda_{\mathrm{v}}$ employed.
the optical spectrum, using $h v_{\mathrm{v}}=800 \mathrm{~cm}^{-1}\left(\nu_{\mathrm{v}}=2.40 \mathrm{H} 10^{13}\right.$ $\mathrm{s}^{-1}$ ).

$$
\begin{equation*}
k_{\mathrm{OPT}}=v_{\mathrm{v}}\left(\lambda_{\mathrm{v}} / \lambda\right)^{1 / 2} \exp \left(-\Delta G^{*} / k_{\mathrm{B}} T\right) \tag{6}
\end{equation*}
$$

The $\left(\lambda_{\mathrm{v}} / \lambda\right)^{1 / 2}$ term is close to constant and does not affect $k_{\text {OPT }}$ significantly. Table 4 compares thermal and optical rate constants for $\mathbf{2}^{+}-\mathbf{6}^{+}$in the form of Eyring activation parameters, and Figure 2 shows the data graphically. It may be noticed that the optical enthalpies of activation $\left(\Delta H^{\ddagger}(\mathrm{opt})\right)$ are rather constant but that there is a large range of ESR-derived $\Delta H^{\ddagger}$ (esr) values. There appears to be less experimental error in obtaining $\Delta H^{\ddagger-}$ (opt) because both the optical band shape is far simpler than that for the very complex ESR spectra and the simulations fit the experimental curves better. The best agreement between optical and ESR data occurs for $\mathbf{3}^{+}$. The ESR data should be best for $3^{+}$, which has the smallest ring-splitting constants in the frozen form. We cannot freeze out the ring splittings in the ESR spectrum and do not know the value to use for the frozen spectrum in the simulations. ${ }^{5}$ The $k_{\mathrm{ESR}}$ values are most accurate at the temperature of maximum broadening, which is roughly the center of the temperature range for which data are reported, because the line shape changes with changes in $k_{\mathrm{ESR}}$ are largest at this point. Only a small temperature range is available for $k_{\mathrm{ESR}}$, limiting the accuracy of the activation parameters that can be extracted. In contrast, the optical band shape fits are comparable at all temperatures reported. We suggest that the very negative $\Delta S^{\ddagger}$ (esr) values (and accompanying smaller $\Delta H^{\ddagger-}$ (esr) values) found for $\mathbf{2}^{+}, \mathbf{4}^{+}$, and $\mathbf{5}^{+}$are likely to be inaccurate and that activation parameters estimated from the optical spectrum are likely to be more accurate than those from ESR.

The poorest agreement between $k_{\text {OPT }}$ and $k_{\text {ESR }}$ is for the fluorenyl-bridged compound $\mathbf{6}^{+}$, for which taking optical data was stopped at 298 K because decomposition became obvious at higher temperatures, and for which an experimental estimate of $d$ is not available. Nevertheless, extrapolating $k_{\text {OPT }}$ to the extreme temperatures of the ESR data set gives rate constant ratios $k_{\mathrm{ESR}} / k_{\text {OPT }}$ of 1.5 at 273.1 K and 2.5 at 248.1 K . There is excellent agreement between the ESR rate constants and the optical data treated the way we did above for all five compounds. Lowering the $V$ used by including refractive index corrections in calculating it from the optical spectrum and raising $\lambda$ by using the vibronic coupling theory concept of fitting reduced spectra ${ }^{11,13}$ would both lower $k_{\mathrm{OPT}}$, making agreement with experiment poorer for four of the five compounds studied. However, the uncertainty in $d$ appears to us to preclude definitely determining whether it is better to use a smaller value than the $V_{\mathrm{H}}$ we used to fit experimental data. The change in the effective distance found for $d_{\text {esr }}$ as methyls introduced on the $\mathbf{P H}$ bridge could be caused by change in CBU-bridge interactions that are not accounted for in the two-state model.

Difficulties in Separation of $\lambda_{v}$ from $\lambda_{s}$. Accurate calculation of $k_{\mathrm{ET}}$ for $\mathbf{2}^{+}-\mathbf{6}^{+}$from their CT bands does not require separation of $\lambda$ into $\lambda_{\mathrm{v}}$ and $\lambda_{\mathrm{s}}$, and the IV-CT band shape does
not allow such separation either. But application of vibronic coupling theory requires accurate separation of $\lambda$ into $\lambda_{\mathrm{v}}$ and $\lambda_{\mathrm{s}}$, so we consider here making such separation by comparing $\lambda$ values for the compounds studied. Despite constant CBU, rather similar bridges, and ET distances that are "known" (in the sense that using those in footnote d of Table 1 produces estimated $V$ values from the IV-CT bands that accurately reproduce the experimental rate constants), accurate separation of $\lambda$ into its components from our experimental data does not appear to us to be possible. The change in $\lambda$ as methylenes are added to the bridge in the series $\mathbf{1}^{+} \boldsymbol{\rightarrow} \mathbf{2}^{+} \boldsymbol{\rightarrow} \mathbf{3}^{+}(37.8 \rightarrow 41.15$ $\rightarrow 40.65$ at room temperature) indicates compensating effects on $\lambda_{\mathrm{v}}$ and $\lambda_{\mathrm{s}}$ as methylation increases. ${ }^{5}$ Adding methyl groups increases $\phi$. This increases $\lambda_{\mathrm{v}}$ (twisting at the $\mathrm{N}-\mathrm{Ar}$ bond significantly destabilizes a radical cation), but it also decreases $\lambda_{\mathrm{s}}$. The $d$ value we used increases significantly upon increasing twist, but prediction of the effect on $\lambda_{\mathrm{s}}$ is hard to quantify because the effective radius ( $r$ ) of the CBU presumably decreases; less spin density appears in the $p$-phenylene ring, causing the increase in $d$. For $\mathbf{1}^{+} \rightarrow \mathbf{5}^{+}$and $\mathbf{6}^{+}$, there is an obvious increase in $d$, and $\phi$ is presumably rather similar for these three compounds because the hydrazine units are flanked by ortho hydrogens in all three cases. Although $\lambda_{\mathrm{s}}$ increases for $5^{+}$by $5.7 \mathrm{kcal} / \mathrm{mol}$, this increase is significantly smaller than the $16.1 \mathrm{kcal} / \mathrm{mol}$ that would be predicted by making the usual dielectric continuum theory assumption for intervalence compounds that $\lambda_{\mathrm{s}}=e^{2}\left(r^{-1}-d^{-1}\right) \gamma$. It is not surprising that a deviation occurs, because $d$ is probably not $>2 r$ for $\mathbf{1}^{+}$, which is an assumption in deriving the $\lambda_{\mathrm{s}}$ formula. ${ }^{2}$ Even the obvious increase in $d$ between $\mathbf{1}^{+}$and $\mathbf{6}^{+}$does not lead to an increase in $\lambda$ but a decrease of $0.2 \mathrm{kcal} / \mathrm{mol}$. We suggest that this indicates that methylation on the bridge lowers $\lambda_{\mathrm{s}}$, even in the absence of the increase in $\phi$ that accompanies methylation for $\mathbf{1}^{+}-\mathbf{3}^{+}$.

## Conclusion

The treatment we used for predicting the thermal electrontransfer rate constant from optically derived ET parameters ( $k_{\text {OPT }}$ ) differs from the Marcus-Hush treatment in two significant ways. We use Hush's eq 1 to estimate $V$ but have altered the ET distance $d$ that we employed in applying it. We used an experimental estimate of the ET distance on the adiabatic surface $\left(d_{\text {esr }}\right)$, using the $2+$ oxidation state as a model for the $1+$ intervalence oxidation state. This resulted in a $23 \%$ increase in $d$ as methyls are substituted on a $p$-phenylene bridge in $\mathbf{1}^{+}, \mathbf{2}^{+}$, and $\mathbf{3}^{+}$. Hush theory employs the distance on the diabatic surfaces, which ought not to change because the distance between the charge-bearing units does not change significantly as methyls are introduced. Second, we have made no attempt to explicitly include vibronic coupling theory in obtaining the intervalence charge-transfer band shape. Instead, we assumed that this band shape reveals the shape of the adiabatic surfaces on which thermal electron transfer occurs and that the simplest two-state model suffices. We show that the band shape can be
transformed into the diabatic potential-energy surface unambiguously, by demonstrating that very different functions taken to describe the diabatic potential-energy surfaces give almost identical $\Delta G^{*}$ values for the adiabatic surfaces in the transformation. Our treatment increasingly lowers the diabatic surfacecrossing energy from the $E_{\mathrm{op}} / 4$ for parabolic diabatic surfaces as the bandwidth increases over the eq $2 \Delta v^{\mathrm{HTL}}$ value. Using our model, eq 4 is an excellent estimate of the thermal ET barrier $\left(\Delta G^{*}\right)$. With these modifications to Marcus-Hush theory, eq 6 produces $k_{\text {OPT }}$ values as a function of temperature that are in very good agreement with rate constants determined by ESR for $\mathbf{2}^{+}-\mathbf{6}^{+}$. Our simplified treatment obviously does not allow insight into how the adiabatic surfaces arise in terms of vibronic coupling theory. A complex treatment involving many parameters would be required to apply vibronic coupling theory properly for our high $\lambda_{\mathrm{v}}$ compounds.

Acknowledgment. We thank the National Science Foundation for support of this work under grant CHE-9417946, the NSF major instrument program and the University of Wisconsin for funds used in purchase of the diffractometers, spectrometers, and computer equipment used, and the Dow Chemical Company for a fellowship for R.F.I.. We thank Dmitry Matyushov for discussion of temperature coefficients using his solvent theory.

Supporting Information Available: Crystallographic data for $\mathbf{5}^{\mathbf{0}}, \mathbf{5}^{\mathbf{2 +}}\left(\mathrm{SbF}_{6}{ }^{-}\right)_{2} \cdot \mathrm{CH}_{3} \mathrm{CN}, \mathbf{8}^{+}\left(\mathrm{SbF}_{6}{ }^{-}\right) \cdot{ }^{1 / 2} \mathrm{Et}_{2} \mathrm{O}$, and $\mathbf{9}^{+}\left(\mathrm{SbF}_{6}{ }^{-}\right)$, numbered thermal ellipsoid drawings, heavy atom positions, and experimental for preparation of $\mathbf{4}, \mathbf{5}, \mathbf{6}, \mathbf{8}, \mathbf{9}, \mathbf{1 0}$, and their radical cations. This material is available free of charge via the Internet at http://pubs.acs.org.

JA984047K


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